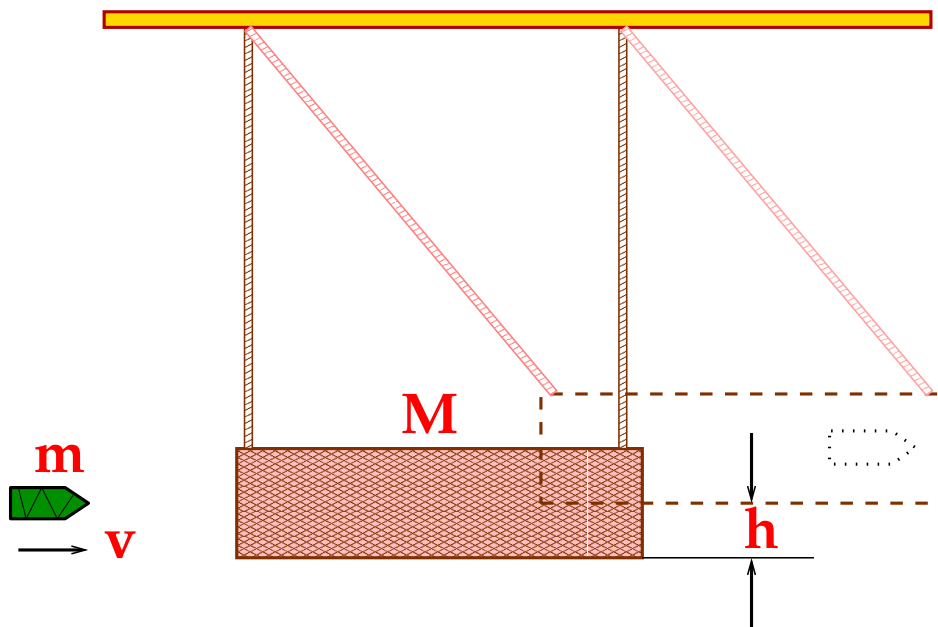


Ex : Consider a device called a **ballistic pendulum**. This device was used to measure the speeds of bullets.



Consider $M = 5.4 \text{ kg}$ and $m = 9.5 \text{ gm}$

If the block/bullet system swings upward $h = 6.3 \text{ cm}$, what was the speed of the bullet just prior to the collision?

o First recognize this collision as completely inelastic. After the collision the block + bullet are 'stuck' together.

$$\Rightarrow mv = (M + m)V$$

o As the collision is inelastic, kinetic energy is **NOT** conserved. But *after* the collision, mechanical energy *is* conserved.

Conservation of mechanical energy after the collision tells us:

$$\frac{1}{2}(M + m)V^2 = (M + m)gh$$

Now we can solve for v (the initial speed of the bullet) using the expression from momentum conservation to give us V .

$$\begin{aligned} v &= \frac{M + m}{m} \sqrt{2hg} \\ &= \left(\frac{5.4 \text{ kg} + 0.0095 \text{ kg}}{0.0095 \text{ kg}} \right) \sqrt{2(9.81 \text{ m/s}^2)(0.063 \text{ m})} = 630 \text{ m/s} \end{aligned}$$